

## JORGE JOAQUÍN LOIS



I was born in Buenos Aires, Argentine, on December 5, 1946. I studied Medicine at La Plata University, graduating from it as Doctor of Medicine in 1975. I am a specialist in Labour Medicine and I have been working in that capacity for different institutions in my native city. I am married to Norma. We have two sons, Maximiliano y Fernando.

I learned the rules of chess at the age of 8 ; then I started playing sporadically with my friends at our college.

In 1962, being a member and also a fan of the football team C.A.Huracán, I met Jacobo Bolbochán, who at that moment was working as a chess teacher there. As my first chess instructor, he was the person who oponed the doors of the chess
world to me.
In November 1972, a series of helmates appeared in ome of the weekly articles written by the late composer and journalist Luciano Wilfredo Cámara for a newspaper called La Prensa. That same year, a picture of the members of the "Peña del Mate de Ayuda" was published in the then well-known magazine Ajedrez (no longer existent). One of the persons in the picture was Dr. Emiliano Ruth, problemist and current President of the "Peña del Mate de Ayuda". It was owing to those events that I got in touch with Dr.Ruth and became a member of the Peña by the end of 1973. That group of chess players used to get together every Saturday in the Argentine Chess Club.

During the 1980s I reduced my composing activity, on account of parallel involvement in the game of bridge; actually, I became a respected bridge player.

I have composed more than 580 chess problems which have been published in almost any of the magazines dealing with this specialty; many of them are joint products from me and my friends and colleagues Jorge M. Kapros and Roberto Osorio. I have received more than 250 distinctions in international tourneys, including 63 first prizes.

Initially, I was involved in fairy problems, certain types of direct mates, selfmates an retros. Presently, I am mainly focused on helpmates and proofgames.

In 1996 I became Master for Chess Compositions and in 2005 International Master for Chess Compositions, both FIDE titles being awarded by the Permanent Commission of the FIDE for Chess Compositions.

## JORGE J. LOIS - 60 JUBILEE TOURNEY 2006

## General Introduction

I received 40 uniform and anonymous diagrams ( $14 \mathrm{H} \# 3$ and 26 PG with authors' comments) prepared by the Tourney Director, my friend Roberto Osorio.

I solved all the incoming problems, so as to gain insight into the details of the positions. In my opinion there are three fundamental parameters to evaluate a composition: thematic strategy, the way that strategy is implemented, including secondary themes; and the construction/presentation of the idea. On top of this, the unavoidable personal appreciation comes into play and one has to face the challenge of being as objective as possible when making the judgement.

I am very grateful to all the participants and I congratulate those whose compositions appear in the award.

## Section A: H\#3

## Participants

[10 composers from 8 countries with 14 problems]
Argentina (W. Díaz 5)
Brazil (R. de Mattos Vieira 6)
Great Britain (C. Jones 4)
Italy (A. Garofalo 7, 8; A. Cuppini 9, 10)
Israel (M. Witztum 13, 14)
Russia (E. Formichev 3)
Sweden (C. Jonnson 1, 2)
Ukraine (A. Semenenko 11*, 12*; V. Semenenko 11*, 12*)

## Theme

The "pinned pinner"

The theme was presented as follows: At a certain point in the solution (including the diagram position) piece $A$ is pinning piece $B$. Some moves after that piece $B$ is pinning piece A.
a) Multiple phases (solutions and twins) are allowed provided that each one is thematic.
b) Zeroposition and fairy pieces are not allowed.

## Introduction

We received relatively few problems; one might conjecture, however, that the required challenging theme must have been the major limiting factor. On the other hand, the quality was good, as one can see from the compositions in the award.

I used three value preference criteria in forming the judgment:

- No thematic pinning in the diagram position and no captures of the thematic pieces.
- No thematic pinning in the diagram position and capture(s) of the thematic pieces.
- No thematic pinning in the diagram position and capture(s)/no captures of the thematic pieces.

It is obvious that in the $3^{\text {rd }}$ option $50 \%$ of the thematic strategy is implicit in the diagram position.

## Judgment


2.1.1.1.1.1

2.1.1.1.1.1
$1^{\text {st }}$ Prize: Ricardo de Mattos Vieira (Brazil) No. 6
1.Qxe6 Rxd5 2.Qb5 Bd7 3.Rxd4 Rxd4\#
1.Qxd4 Bxd5 2.Qb4 Re4 3.Bxc6 Bxc6\#

The best one. Each phase features orthogonal-diagonal thematic strategy in the play, showing perfect correspondence in an optimal construction. This is an excellent work displaying ideal mats.

## $2^{\text {nd }}$ Prize: Aleksandr Semenenko \& Valery Semenenko (Ukraine) No. 12

1.Kd4 Bf5 2.Qe4 b3 3.Kd3 Rd6\#
1.Kd5 Re6 2.Qd6 b4 3.Kc6 Be4\#

The thematic strategy is orthogonal in one phase and diagonal in the other, showing a complete mutual correspondence. The Maslar theme is a complement that enhances this very elegant problem, with model mats and a good construction.

$3^{\text {rd }}$ Prize: Aleksandr Semenenko \& Valery Semenenko (Ukraine) No. 11
a) 1.Qe8+ Bf8 2.Qe7 Rb4 3.Kc5 Bxe7\#
b) 1.Qg4+ Rg5 2.Qf5 Bc5 3.Kd5 Rxf5\#

Another problem wherein the thematic strategy is orthogonal-diagonal and it appears in each phase, displaying complete mutual correspondence. The Maslar theme shown by the checking moves of the black piece is an elegant feature contributing to the good presentation of the idea. A very nice problem with model mates.

## $4^{\text {th }}$ Prize: Christer Jonsson (Sweden) $\mathbf{N}^{\circ} .2$

1.Be4 Rc2 2.Qc5 Rf2 3.Ke3 Bxc5\#
1.Kf3 Bg1 2.Qg3 Rg6 3.Kg2 Rxg3\#

The thematic strategy is hidden by the white half-pin, appearing later on as the play evolves. Good correspondence and an interesting construction, resulting in an excellent Meredith with model mats.

## $5^{\text {th }}$ Prize: Christer Jonsson (Sweden) $\mathbf{N}^{\circ} 1$

```
1.Qe2 cxd7 2.Kd2 dxe8=Q 3.Ke1 Qxe2#
1.Qd2 cxd7 2.Kc2 d8=Q 3.Kd1 Qxd2#
1.Qc2 c7 2.Kb2 c8=Q 3.Kc1 Qxc2#
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This is the tourney's only miniature composition, the thematic strategy in the three solutions being implemented by a promoted piece. A fine problem deserving a distinction.

b) $\operatorname{Re} 4 \rightarrow \mathrm{e} 3$

Eugene Formichev
J. Lois-60 JT 2006
$1^{\text {st }}$ Honorable Mention

b) $\operatorname{Re} 3 \rightarrow \mathrm{c} 2$

Antonio Garofalo
J. Lois-60 JT 2006
$2^{\text {nd }}$ Honorable Mention

2.1.1.1.1.1

## Special Prize: Christopher J.A. Jones (Great Britain) N ${ }^{\circ} 4$

a) 1.Kf6 Rf4 2.Kg5 Kg3 3.Qxg6 h4\#
b) 1.Kd5 Bf3 2.Kd4 Kf2 3.Qc5 c3\#

In the diagram position two white pieces are pinning two black ones and during the play the white side builds in each phase a self-pin to mate the black king! This is the only problem with reversed the pinned/pinner roles, producing an extremely paradoxical result that justifies the two black queens in the diagram. The construction is excellent.
$1^{\text {st }}$ Honorable Mention: Eugene Formichev (Russia) $\mathbf{N}^{\circ} 3$
a) 1.Rf4 Rf8 2.Qf2 Be8 3.g3 Bh5\#
b) 1.Rf2 Rd8 2.Qe2 Bd1 3.Rf4 Rd3\#

A problem starting with two white-piece pins which are reversed during the solutions to achieve mate. Another Meredith with model mates and a good construction.

## $2^{\text {nd }}$ Honorable Mention: Antonio Garofalo (Italy) $\mathbf{N}^{\circ} 8$

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1.Qe2 Re6 2.Kd2 Re4 3.Ke1 Sxf3#
1.Qb5 Rg5 2.Kb4 Rc5 3.Ka5 Sxc6#
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In the diagram, a single white piece pinned. The first move by black produces direct unpinning and anticipatory self-pinning, accompanied by white interference on the pinline. An interesting work with model mates.

$3^{\text {rd }}$ Honorable Mention: Menachem Witztum (Israel) $\mathbf{N}^{\circ} 13$
a) 1.Rc4 f3 2.Rf4 Rxb6 3.Kf5 Rxb5\#
b) 1.Bf5 fxe3 2.Bd3 Be8 3.Kc4 Bxf7\#

Another problem starting with double white-piece pin, tinged with white's $3 / 4$ rundlauf. A good problem, albeit with a somewhat heavy construction.
$4^{\text {th }}$ Honorable Mention: Menachem Witztum (Israel) $\mathbf{N}^{\circ} 14$
a) 1.Qe3 Bd2 2.Bxa4+ Kxa4+ 3.Kf4 Sxe2\#
b) 1.Qg3 Be1 2.Bb4 Kxb4+ 3.Kh4 Sf3\#

As in the $2^{\text {nd }}$ Honourable Mention, single white piece pinning in the diagram followed by a direct unpinning and a preventive self-pinning during the solution. The line opening allowed by the white king capturing a black piece is an added value to the thematic strategy. Again, a bit heavy construction.
a) 1.Ra5 Ba 3 2.Rxd5 Bd6+ 3.Rde5 Se6\#
b) 1.Ra6 Bg7 2.Rg6 Bh6+ 3.Rg5 Sg6\#

A single white-piece pin reversed during the solutions to reach the mate position. Meredith and model mates.

2.1.1.1.1.1

## Alessandro Cuppini

J. Lois-60 JT 2006
$3^{\text {rd }}$ Commendation

b) $\mathrm{Ke} 2 \rightarrow \mathrm{~d} 2$

b) $\mathrm{Sb} 5 \rightarrow \mathrm{~g} 2$
$\mathbf{2 d}^{\text {nd }} \mathbf{C o m m e n d a t i o n : ~ A l e s s a n d r o ~ C u p p i n i ~ ( I t a l y ) ~} \mathbf{N}^{\circ} 10$
1.Qxd3 Rd1 2.Qg6 Rd6 3.Kh6 Sf7\#
1.Qa4 Rxe3 2.Qg4 Re4 3.Kh4 Sxf3\#

Another diagram based on a single white-piece pin. Model echo mates producing a "horizontal-mirror" image. The weakness consists in that the white play is devoid of any secondary themes.

## $3^{\text {rd }}$ Commendation: Alessandro Cuppini (Italy) $\mathbf{N}^{\circ} 9$

a) 1.Qd5 Rxb6 2.Sf2 Rb2+ 3.Qd2 Sc1\#
b) 1.Qxg4 Rg8 2.Qe2 Rg2 3.Sc2 Sf1\#

Same content as in the $2^{\text {nd }}$ Commendation, but here the mirror image is vertical.
$4^{\text {th }}$ Commendation: Walter Díaz (Argentina) $\mathrm{N}^{\circ} .5$
a) $1 . \mathrm{Ke} 3 \mathrm{Sc} 3$
2.Kd4 Ke8
3.Be3 Bf6\#
b) 1.Kg3 Se3 2.Kh4 Bf6 3.Qg3 Rh7\#

A Meredith with double white-piece pin and black self-pin on the mate square. The lack of white second-move correspondence between both phases -tempo in (a) and active move in (b)- is the reason why this problem was not placed higher in the award.

## Section B: Proofgames

## Participants

[16 composers from 10 Countries, 26 problems]
France (M. Caillaud 17*, 18; N. Dupont 22; J. Iglesias 17*; T. Le Glehuer 9, 13, 15; P. Wassong 6)
Greece (K. Prentos 23*, 24*, 25*)
Ireland (A.Bell 11, 14)
Italy (A. Garofalo 8)
Macedonia (G. Denkovski 10)
Romania (P. Raican 2, 3, 4)
Russia (R. Ubaidullaev 16)
Sweden (G. Wicklund 1, 7, 26)
Ukraine (A. Frolkin 23*, 24*, 25*; A. Semenenko 12*; V. Semenenko 12*)
U.S.A. (G. Donati 5, 19, 20, 21)

## Theme

"Invisible Platzwechsel"
The theme was presented as follows: At one point of the PG piece A occupies square X and piece $B$ simultaneously occupies square $Y$, say DIAGRAM 1 ((A,X),(B,Y)). Some moves after that piece $A$ is on $Y$ and $B$ is simultaneously on $X$, say DIAGRAM 2 ((A,Y),(B,X)).
a) DIAGRAMS 1 and 2 may be the initial array and/or the final position or any other.
b) $\mathrm{X}, \mathrm{Y}, \ldots$ may be any square of the board including the home squares of $\mathrm{A}, \mathrm{B}, \ldots$
c) A and B color may be the same or not
d) Fairy stipulations are not allowed
e) Cyclic effects are allowed, involving pieces A, B and C (or more) with DIAGRAM 1 ((A,X),(B,Y),(C,Z)) and DIAGRAM 2 ((A,Y),(B,Z),(C,X))
f) The "Invisible" condition: the Platzwechsel should be not obvious by comparing the initial array and the final Diagram. So, if Diagram 1 and Diagram 2 are the initial and final positions ( X and Y are home squares) something has to hide the Pw as it is discussed in the examples. Of course, there are different grades of "invisibility" since, eventually, everything is deductible. For instance, a mutual sibling (TT or NN) is a high quality invisible Pw.
g) Evaluation: the problems will be evaluated on the basis of the balance of their thematic content, originality and general quality.

## Introduction

Both the quality and the quantity of the compositions were very good. I think that the main reason for this was that the proposed theme proved to be attractive.

The thematic content (enhanced by secondary themes) as well as the originality and general quality (including the implementation and presentation of the idea) were the basis I used for the judgment, as it was specified in the tourney announcement.

## Anticipations and Comments

I present here the anticipations and other specifications regarding the problems not included in the award. The corresponding diagrams with indication of the respective authors and data can be found at the end of the judgment.

Nr 1 (Wicklund) Anticipated. See Apendix, diagram [A1]. Double Platzwechsel $\mathrm{wK} / \mathrm{wQ}$ motivated by the wBfl capture.

Nr 2 (Raican) Anticipated [A2] Sibling RR and Switchback wK and wQ.
Nr 3 (Raican) Anticipated [A3] Sibling SS and check protection.
Nr 7 (Wicklund) Anticipated [A4] Rotation rrrr \{10. .. h1=R (Position A) - 28. .. Ral (Position B) $\}$.

Nr 8 (Garofalo) Anticipated [A5] Sibling SS y 14 wS moves with capture.
Nr 9 (Le Glehuer) Anticipated [A1], idem $\mathrm{N}^{\mathrm{o}} 1$.
Nr 13 (Le Glehuer) Double $w K / w R$ Platzwechsel via O-O and simple $w Q / w B$ Platzwechsel from and to home squares. It was done in a much more concise way by the $4^{\text {th }}$ Honorable Mention

Nr 19, 29 y 21 (Donati) Sibling rr and check protection. Variations on [A6] y [A7] and as well as some other problems by the same author.

## Technical Aspects

The theme was implemented using a wide range of different techniques that I feel should be discussed in advance to facilitate one's understanding of the judgment. The essential technical aspects are the number of pieces involved, the cyclic effects used, and the invisibility strategy employed.

Simple Pw: two pieces and two squares showing D1[(A,X),(B,Y)] followed by D2 $[(A, Y),(B, X)]$. The invisibility definition requires to do it on squares other than the home ones, unless A and B are pieces of the same type and color (sibling, as in the special prize).

Composite Pw: more than two pieces and equal number of squares showing sequences like $\mathrm{D} 1[(\mathrm{~A}, \mathrm{X}),(\mathrm{B}, \mathrm{Y}),(\mathrm{C}, \mathrm{Z}]$ followed by $\mathrm{D} 2[(\mathrm{~A}, \mathrm{Y}),(\mathrm{B}, \mathrm{Z}),(\mathrm{C}, \mathrm{X}]$. The invisibility
definition requires that this be done on squares other than the home ones, unless a promoted piece is included (as in the $3^{\text {rd }}$ Honorable Mention).

Simple cyclic loop: pieces A, B and C, showing a sequence of simple Pws A with B, B with C , and C with A on free square couples. Invisible by nature ( $1^{\text {st }}$ Honorable Mention).

Composite cyclic loop: pieces A, B, C and squares $\mathrm{X}, \mathrm{Y}, \mathrm{Z}$ showing a sequence of two Composite Pws: D1[(A,X),(B,Y),(C,Z], D2[(A,Y),(B,Z),(C,X] ending with D3[(A,Z),(B,X),(C,Y]. The 3 pieces "touch" the 3 squares (only achieved by the $2^{\text {nd }}$ Prize). Invisible by nature.
"Come-and-go" simple Pw: D1[(A,X),(B,Y)] followed by D2[(A,Y),(B,X)] and ending with $\mathrm{D} 3[(\mathrm{~A}, \mathrm{X}),(\mathrm{B}, \mathrm{Y})]$. It was presented on home squares only. Invisible by nature.
"Come-and-go" Composite Pw: sequence of two Composite Pws: $\mathrm{D} 1[(\mathrm{~A}, \mathrm{X}),(\mathrm{B}, \mathrm{Y}),(\mathrm{C}, \mathrm{Z}]=>\mathrm{D} 2[(\mathrm{~A}, \mathrm{Y}),(\mathrm{B}, \mathrm{Z}),(\mathrm{C}, \mathrm{X}]=>\mathrm{D} 3[(\mathrm{~A}, \mathrm{X}),(\mathrm{B}, \mathrm{Y}),(\mathrm{C}, \mathrm{Z}]$. The pieces get back to their first diagram positions but, contrary to the Composite cyclic loop, neither of them "touches" all of the three squares ( $5{ }^{\text {th }}$ Prize).

## Judgment



## Andrey Frolkin

Kostas Prentos
J. Lois-60 JT 2006
$2^{\text {nd }}$ Prize

$1^{\text {st }}$ Prize: Thierry Le Glehuer (France) No. 15
1.d4 Sc6 2.d5 Sd4 3.d6 Sxe2 4.Qd5 Sd4 5.Qc6 dxc6 6.Bf4 Be6 7.Kd2 Bb3 8.Bc4 Qd7 9.Kd3 O-O-O 10.Sd2 Kb8 11.Re1 Ka8 12.Re6 Rb8 13.Rf6 Qc8 14.d7 Ba4 15.dxc8=Q Sb3 16.Qg4 Re8 17.Qd1 Kb8 18.Sgf3 Kc8 19.Re1 Kd7 20.Ree6 Ra8 21.Se5+ Ke8

This is a very original work showing a pretentious thematic content. "Come-and-go" simple Pw on the bKe8 and bRa8 home squares. These pieces perform the maneuver
starting with 9. ... 0-0-0!, continuing with 11. ...Ka8, 16. ... Re8 (come), and closing with 20. ... Ra8, 21. ... Ke8 (go). Everything is done to leave the bK to his unique "refuge" 11. .. Ka8, so as to allow the promotion $15 . \mathrm{dxQc} 8=\mathrm{Q}$. This wQ Pronkin further enhances this problem's impression. The construction is optimal and the sequence mechanism discovered to implement the idea is a high-quality one.

## $\mathbf{2 ~}^{\text {nd }}$ Prize: Andrey Frolkin \& Kostas Prentos (Ukraine/Greece) Nr. 25

1.e4 f5 2.e5 Sf6 3.exf6 e5 4.d4 e4 5.Sd2 e3 6.Sb3 $\underline{\mathbf{e 2}} 7 . \mathrm{Kd} 2$ e1=S 8.Qe2+ Kf7 9.Kd1 Bb4 10.Bd2 Re8 11.Rc1 Re3 12.Sa1 Ra3 13.c3 Sc2 14.Qe1 Se3+ 15.Ke2 Sd1

This is the only one problem showing a Composite cyclic loop, performed by the pieces $\mathrm{wK}(\mathbf{A})-\mathrm{wQ}(\mathbf{B})-\mathrm{bPe} / \mathrm{S}(\mathbf{C})$ on the squares e1 $(\mathbf{X})-\mathrm{d} 1(\mathbf{Y})-\mathrm{e} 2(\mathbf{Z})$. The cyclic mechanism starts with 6. .., Pe2-Position (AX-BY-CZ)-, continues with 9.Kd1 -Position (AY-BZ-CX)- and ends with 15. .., Sd1 -Position (AZ-BX-CY)-. The Simple Pw after 14.Qe1 and the bSg8 Phenix provide additional beauty to this work, providing for an impeccable construction.


## Rustam Ubaidullaev

J. Lois-60 JT 2006
$4^{\text {th }}$ Prize

$3^{\text {rd }}$ Prize: Michel Caillaud \& Joaquim Iglesias (France) Nr. 17
1.Sc3 g5 2.Sd5 g4 3.Sxe7 g3 4.Sg6 Bc5 5.Sf3 d6 6.Rg1 Bh3 7.gxh3 Se7 8.Bg2 Rg8 9.Bh1 g2 10. Rf1 g1=Q 11.Sh8 Qg 3 12.Bg2 $\operatorname{Sg} 6$ 13.Rh1 Qf6 14.Sg1 Qa3 15.Bf1 Qfc3 16.bxc3 Ke7
"Come-and-go" simple Pw between wRh1 and wBf1. The tempo maneuver as a motivation to implement the thematic idea is a really beautiful point (white side can reach the diagram position in fewer moves, but not in an even number, unless it performs the thematic maneuver). For this reason, necessary are 6.Rg1! -tempo loss- as well as 9.Bh1! (the move that explain the thematic idea allowing the bQ promotion).
10.Rf1) shows the "come" and $15 . \mathrm{Bf} 1$ the "go". The secondary themes are a bQ Pseudo-Phenix and a wSg1 Switchback. A subtle rendition of the theme.

$4^{\text {th }}$ Prize: Rustam Ubaidullaev (Russia) No. 16

1.f3 g6 2.Kf2 Bg7 3.Qe1 Bc3 4.dxc3 Sf6 5.Bh6 Sh5 6.e3 Sg7 7.Bc4 Kf8 8.Be6 Kg8 9.c4 Qf8 10.Sc3 Se8 11.Rd1 Qg7 12.Rd5 Qd4 13.Rh5 Qg4 14.fxg4 Sg7 15.Sf3 Kf8 16.Kg1 Ke8 17.Qh4 Sf5 18.Bg7 Sh6 19.Se1 Sg8
"Come-and-go" simple Pw between bKe8 and bSg8 on their home squares and Simple Pw between bSg 8 and wBf 1 on h 6 and g 7 . One of the motivations consists in that the bSg is required to shield the king, allowing both bK's "visit" to $\mathrm{g} 8-6 . . . \mathrm{Sg} 7-$ and the monarch's comeback back to his home square $-14 . \ldots \mathrm{Sg} 7-$. The other motivation is to allow the bQ to get out via $\mathrm{f}, \mathrm{g} 7$ to d 4 and g 4 , forcing the bS to liberate temporarily g 7 reaching his unique "refuge" e8! (come). With 16 . .., Ke8, the "go" is done. The eightmove circuit performed by the bSg 8 is remarkable indeed.

Gligor Denkovski
J. Lois-60 JT 2006
$5^{\text {th }}$ Prize


Michel Caillaud
J. Lois-60 JT 2006
$6^{\text {th }}$ Prize

$5^{\text {th }}$ Prize: Gligor Denkovski (Macedonia) $\mathbf{N}^{0} 10$
1.f4 e5 2.f5 e4 3.f6 e3 4.dxe3 Sg8xf6 5.Bd2 Se4 6.Qc1 Qf6 7.Kd1 Qxf1+ 8.Be1 Qf6 9.Bd2 Ba310.Ke1 Ke7 11.Qd1 Kd6 12.Bc1+ Kc5

This is the only one problem showing a "Come-and-go" Composite Pw. It is done by wBc 1 , wQd1 and wKel from the initial array. The moves 6.Qc1, 7. Kd1 and 8.Be1 are motivated by the capture of the wBf 1 , returning through $10 . \mathrm{Kel}, 11$. Qd1 y $12 . \mathrm{Bc} 1+$ to their respective home squares. A clever rendition of the theme, achieved with a remarkable economy of moves.

## $6^{\text {th }}$ Prize: Michel Caillaud (France) $\mathbf{N}^{\mathbf{o}} 18$

1.h4 e5 2.Rh3 Se7 3.Ra3 Sg6 4.Ra4 Ba3 5.Sf3 0-0 6.Sd4 Sh8 7.Sc6 g6 8.d4 Kg7 9.Sd2 Kh6 10.Sb3+ Kh5 11.Bh6 d5 12.Rc1 Bg4 13.Sa1 Sd7 14.b3 Bxc1 15.Bxf8 Bh6 16.Ba3 Bf8 17.e3 h6 18.Bb5 Be2 19.Bc1

This is the only bicolor "Come-and-go" simple Pw (wBc1 and bBf8 on home squares). The rook captures determine the bishop circuits. Elegant and original.

## Gianni Donati

J. Lois-60 JT 2006

Special Prize


## Andrey Frolkin <br> Kostas Prentos

J. Lois-60 JT 2006

Special Prize


## Special Prize: Gianni Donati (U.S.A.) $\mathbf{N}^{0} 5$

1.h4 f5 2.h5 f4 3.h6 f3 4.exf3 Sc6 5.Bd3 Se5 6.Bg6+ Sf7 7.d3 a5 8.Kd2 a4 9.Kc3 a3 10.Bd2 axb2 11.a4 Ra6 12.a5 Rd6 13.a6 Sf6 14.a7 Sg4 15.Ra6 Se5 16.Sa3 Sc6 17.Qa1 Sb8 18.Rc6 b6 19.Kb4 Ba6 20.c3 Bc4 21.Sc2 Be6 22.Qa6 Bg4 23.fxg4 Qc8 24.Sf3 Kd8 25.Re1 Sg5 26.Re6 Se4 27.Se5 Sf6 28.f3 Sg8

There are many problems presenting the interchange of knights of the same color on home squares -Sibling-, and I daresay every composer of this specialty must have made one. But this one achieves a new Task of 12 SS moves without captures. Previously, there was a 10 -moves problem without captures [A5], as well as one showing 14 moves with capture [A8]. I think that a Task is always a challenge and its achievement
deserves to be distinguished, provided that it features a high-quality construction, as this problem does.

## Special Prize: Andrey Frolkin \& Kostas Prentos (Ukraine/Greece) N ${ }^{\mathbf{0}} \mathbf{2 4}$

1.g3 a5 2.Bg2 a4 3.Bxb7 a3 4.Sf3 axb2 5.Sa3 b1=S 6.0-0 Sc3 7.dxc3 h5 8.Bh6 gxh6 9.Sd2 Bg7 10.Bh1 Bb7 11.Re1 Bg2 12.Sf1 Bh3 13.Bd5 Bd4 14.Kh1 Bxf2 15.Qd4 Sc6 16.Rad1 Qb8 17.Sb1 Ra3 18.c4 Re3 19.Rd3 Kd8 20.Red1 Be1 21.R1d2

This problem shows the highest thematic density. a) Four Simple Pws (3...bPa3, wSb1 => 5...wSa3, bSb1 / 0.wLf1, wTh1 => 10.wTf1, wLh1 / 0.wKe1, wTh1 => 14.wTe1, wKh1 / 9.wSd2, wTfl => 21.wTd2, wSf1). b) A three pieces Composite Pw (13... bLd4, wDd1, wTe1 => 20...wDd4, wTd1, bLe1). c) A four pieces Composite Pw (0.wKe1, wLf1, wSg1, wTh1 $\Rightarrow$ 12.wTe1, wSf1, wKg1, wLh1). This builds up a complex plot where the square interchanging is a real puzzle to reach the final diagram.


Aleksandr Semenenko
Valery Semenenko
J. Lois-60 JT 2006
$2^{\text {nd }}$ Honorable Mention


## $1^{\text {st }}$ Honorable Mention: Allan Bell (Ireland) $\mathbf{N}^{\mathbf{0}} \mathbf{1 4}$

1.e3 c5 2.Bc4 Qc7 3.Be6 c4 4.Sf3 c3 5.O-O cxd2 6.Qe1 d1=R 7.Bd2 dxe6 8.Ba5 Rd8 9. Bb 6 axb6 10.c4 Ra5 11.Sc3 Rh5 12.Rd1 g5 13.Rd5 Bg7 14.Rf5 Be5 15.Qa1 f6 16.Rd1 Kf7 17.Se1 Rf8 18.Rd8 Qc5 19.Rxc8 Bc7 20.Re8 Qe5

The only one Simple cyclic loop between the pieces (bQd8, bBf8 y bPc/R) on 4 squares, where c 7 is the connecting point to the others: d 8 , f 8 and e 5 , displaying an elegant cyclic play $\mathrm{bQd} 8 / \mathrm{bPc} 7 \Rightarrow \mathrm{bQc} 7 / \mathrm{b}(\mathrm{P}) \mathrm{Rd} 8 ; \quad \mathrm{bPc} 7 / \mathrm{bBf} 8,=>\mathrm{b}(\mathrm{P}) \mathrm{Rf} 8 / \mathrm{bBc} 7$; $\mathrm{bBe} 5 / \mathrm{bQc} 7=>\mathrm{bBc} 7 / \mathrm{bQe} 5-$. This very good problem was not placed higher on account of the third black rook on the board.

## $2^{\text {nd }}$ Honorable Mention: Aleksandr Semenenko \& Valery Semenenko (Ukraine) $\mathbf{N}^{\mathbf{0}} 12$

1.Sc3 b5 2.Sd5 b4 3.Sxe7 d5 4.Sf3 Bh3 5.gxh3 b3 6.Bg2 bxc2 7.O-O cxd1=R 8.Bh1 Rxc1 9.Kg2 Rc6 10.Kg3 Rd6 11.Bg2 c5 12.Rh1 Sc6 13.Rag1 Rb8 14.Bf1 Rb3 15.axb3 Qb8 16.Sc8
"Come-and-go" simple Pw between wBf1 and wRh1 on home squares, showing the same theme as the $3^{\text {rd }}$ Prize, the bRa Pseudo-Phenix being the secondary theme. The maneuver implemented by that $\mathrm{wK}, \mathrm{wB}$ and wR requires 8 moves. The try consist in that the same diagram could be reached by moving the wK via c2 and making a bishop switchback, keeping the rook stationary, but this does not work due to the bP urgency to promote and liberate the black play. The capture on b3 cannot be a Cerianni-Frolkin because the bQ and the original bR would have "collided" on the way.

## Paul Raican

J. Lois-60 JT 2006
$3^{\text {rd }}$ Honorable Mention

## Andrey Frolkin

Kostas Prentos
J. Lois-60 JT 2006
$4^{\text {th }}$ Honorable Mention


$3^{\text {rd }}$ Honorable Mention: Paul Raican (Romania) Nr. 4

1.h4 Sc6 2.h5 Sd4 3.h6 Sxe2 4.hxg7 h5 5.Rh3 h4 6.Rb3 h3 7.c4 h2 8.c5 h1=B 9.c6 Rh2 10.cxb7 Sh6 11.b8=R Bb7 12.g8=R Bf3 13.Rg3 Bg7 14.gxf3 Kf8 15.f4 Kg8 16.f5 Kh7 17.Qc2 Qh8 18.Rg8 Re8 19.Rb8 Ba8 20.b4 Bb2 21. Rb3 Qc3

Double Composite Pw. The first one starts from the initial array on the home squares a8, e8 y h7 and closes with Ba8 (the bishop's "promoted nature" provides for the invisibility). The second one starts with three white rooks on b3, b8 y g8 and closes with $\underline{\mathbf{R b 3}}$. A nice work motivated by the promotions $11 . \mathrm{b} 8=\mathrm{R}$ and $12 . \mathrm{g} 8=\mathrm{R}$, but the promoted rooks on the board detract from the impression.
$4^{\text {th }}$ Honorable Mention: Andrey Frolkin \& Kostas Prentos (Ukraine/Greece) Nr. 23
1.e3 c5 2.Bd3 c4 3.Se2 cxd3 4.O-O dxe2 5.Kh1 e1=Q 6.Rg1 Qe2 7.Re1 Qa6 8.Kg1 b5 9.Kf1 Bb7 10.Ke2 Qc8 11.Rh1 Kd8 12.Qg1 Bf3+ 13.Ke1 Bh5 14.f3 Kc7 15.Kd1 Kb6 16.e4+ Ka5
"Come-and-go" simple Pw between wKel y wRh1 from and to home squares via O-O and semi-invisible wK and wQ Simple Pw on g1-specified square- and d1 home square, respectively. The 5..., el=Q promotion provides the motivation. The sequence is nice and economic, but the second black Queen on the board weakens the problem as compared to the $1^{\text {st }}$ Prize.

Göran Wicklund
J. Lois-60 JT 2006
$5^{\text {th }}$ Honorable Mention



$5^{\text {th }}$ Honorable Mention: Göran Wicklund (Sweden) Nr. 26

1.a4 d5 2.Ra3 d4 3.Rc3 d3 4.b3 dxc2 5.Ba3 $\mathbf{c 1 = \mathbf { B }} 6 . f 4 \mathrm{Bb} 2$ 7.f5 Ba1 8.Bc1 Bb2 9.f6 Ba3 10.fxe7 f5 11.h4 Kf7 12.e8=R Bae7 13.h5 Qd6 14.Rd8 Qa3 15.Rd6 Bd8

This problem shows a technical particularity. Three pieces ( $\mathrm{wBc}, \mathrm{bPd} / \mathrm{B}$ and bQ ) on three squares (a3, c1 and d8) develop two Simple Pws (wBa3/bBc1 $\Rightarrow>\mathrm{wBc} 1 / \mathrm{bBa} 3$ and $\mathrm{bQd} 8 / \mathrm{bBa} 3=>\mathrm{bQa} 3 / \mathrm{bBd} 8)$ and a three-piece Composite $\mathbf{P w}$ as a chained result from the former ones $(\mathrm{bBc} 1 / \mathrm{wBa} 3 / \mathrm{bQd} 8=>\mathrm{wBc} 1 / \mathrm{bQa} 3 / \mathrm{bBd} 8)$. The peculiar fact is that the three Pw are shown by three diagrams (without the chaining effect, only two would be possible). The bB position on d 8 makes its Pw with the bQ semi-invisible. A very interesting composition, but the promoted pieces on the board diminish the strategic idea.

## $1^{\text {st }}$ Commendation: Pascal Wassong (France) Nr. 6

1.h4 c5 2.Rh3 Qc7 3.Rf3 Qe5 4.Rf6 gxf6 5.d3 Bh6 6.Qd2 Kf8 7.Kd1 Kg7 8.Qe1 Bd2 9.h5 Ba5 10.Qd2 Bd8 11.Ke1 b6 12.Qd1
"Come-and-go" simple Pw. The most interesting problem I received presenting the theme for K and Q on their home squares. There is a similar antecedent with K and Q Rundlauf [A1], but this distinction is based on the economical motivation achieved by the Bf8 path to Bd8 passing via d2.

Allan Bell
J. Lois-60 JT 2006
$3^{\text {rd }}$ Commendation


Nicolas Dupont
J. Lois-60 JT 2006

Special Commendation

$\mathbf{3}^{\text {rd }} \mathbf{C o m m e n d a t i o n : ~ A l l a n ~ B e l l ~ ( I r e l a n d ) ~} \mathbf{N o}^{\mathbf{0}} \mathbf{1 1}$
$1 . \mathrm{e} 3 \mathrm{c} 5$ 2.Bb5 c4 3.Se2 c3 4.O-O cxd2 5.Qe1 d1=R 6.Qc3 e6 7.Bd2 Rc1 8.Rd1 Bb4 9.Be1 Kf8 10.Rd3 Rd1 11.Od2 Bc3 12.Qc1 Rd2

Quadruple Simple Pw (3..Pc3, Qd1 => 6.Qc3, P/Rd1/4..Pc2, Bc1 $\Rightarrow>7 . \mathrm{Bd} 2, \mathrm{P} / \mathrm{Rc} 1 /$ 4..Pd2, Qd1 $\Rightarrow$ 11.Qd2, P/Rd1/5.Qe1, Bc1 $\Rightarrow 12 . Q c 1, B e 1)$. The motivation behind the thematic strategy is based on an attractive sequence, but the promoted rook on the board weakens the result.

## Special Commendation: Nicolas Dupont (France) N ${ }^{\mathbf{0}} 22$

1.Sf3 d5 2.Rg1 Bh3 3.g4 e6 4.Rg3 Ba3 5.b4 a5 6.Bb2 Ra6 7.Be5 Rc6 8.Bd6 Rc3 9.Se5 Rb3 10.Rc3 h5 11.Rc6 Rh6 12.Sc3 Rb1 13.Ra6 Rc1 14.Rb1 Rf6 15.Rb3 Ra1 16.Qb1 Rf3 17.Sd1 Rg3 18.Rf3 Rg1 19.Rf6 Rh1 20.Rh6 Qf6 21.Ra8 Se7 22.Rh8+

An elegant RRrr Belfort theme that is not exactly thematic. The diagram shows an obvious double bicolor Simple Pw (it does not meet the invisibility condition). While invisible, however, it is uncertain, since the queenside/kingside identities of the rooks are unclear. This could be interpreted as a sort of semi-invisibility. There are antecedents [A9], but this one displays the particularity consisting in that it is not evident "a priori" whether or not the rooks have "crossed" the board. A well-made mechanism, the move 12. .., Rc1! is a fine add-on.

Buenos Aires, July 2007
Jorge Joaquín Lois

## AP PENDIX - ANTICIPATIONS


[A2]
Gianni Donati
Phénix 2000

[A3]
Unto Heinonen
Springaren 2001

[A1] Michel Caillaud, Problemesis 2000, Commendation
1.e4 f5 2.e5 Sf6 3.exf6 e5 4.f7 Ke7 5.Qh5 Qe8 6.Qh6 gxh6 7.Ke2 Bg7 8.f8=Q Kd8 9.Qf6 Qe7 10.Kf3 Ke8 11.Kg3 Qd8
[A2] Gianni Donati, Phénix 2000
1.a4 e5 2.Ra3 Qe7 3.Rg3 Qa3 4.Sh3 Qa1 5.Sa3 Qxc1 6.Sc4 Qa1 7.Qb1 Qa3 8.Qa2 Qf3 9.gxf3 Ba3 10.Bg2 d6 11.0-0 Bg4 12.Ra1 Sd7 13.Kf1 0-0-0 14.Ke1 Re8 15.Bf1 Re6 16.Rg1 Rh6 17.Rh1 Sdf6 18.Sg1 Rh3 19.Qb1 Bh5 20.Qd1 Sg4

## [A3] Unto Heinonen, Springaren 2001

1.e4 Sc6 2.Be2 Se5 3.Bh5 Sg6 4.Ke2 f5 5.Kf3 f4 6.Kg4 a5 7.Sf3 Ra6 8.Re1 Rc6 9.Re3 b6 10.Rd3 Ba6 11.Rd6 Be2 12.Rf6 e6 13.d3 Ba3 14.b4 Rc3 15.Bb2 Rb3
16.Be5 S8e7 17.Sc3 Rb1 18.Qd2 Rf1 19.Re1 Bd1 20.Re2 Sc6 21.Sg5 Sb8 22.Sf7 Se7 23.Qc1 Sg8

[A4] Michel Caillaud, The Problemist 1994 (v), FIDE Album 1992-94, dedicated to Ladislav Packa
1.h4 a5 2.h5 a4 3.h6 a3 4.hxg7 axb2 5.Rh6 bxa1=R 6.Rc6 h5 7.Sh3 h4 8.Sf4 h3 9.Sd5 h2 10.f4 h1=R (Posición A) 11.Kf2 Rxf1 12.Kg3 Rhh1 13.a4 Sh6 14.g8=B dxc6 15.Bh7 Sd7 16.Bf5 Sb6 17.Bh3 Bf5 18.a5 e6 19.a6 Bc5 20.a7 Be3 21.dxe3 Qd6 22.Qd3 Kd7 23.Bd2 Rh8 24.a8=Q Bh7 25.Qg8 Ra8 26.Qgg6 Kc8 27.Ba5 Kb8 28.Sbc3 Ra1 (Posición B) 29.Kh4 Qd8
[A5] Andrey Kornilow \& Andrey Frolkin, Die Schwalbe 1988 (v), $3^{\text {rd }}$ Prize 1.Sf3 f5 2.Se5 f4 3.Sxd7 f3 4.Sb6 Qd5 5.Sc3 Qh5 6.Scd5 g5 7.Sf4 Bg7 8.Sh3 Bc3 9.Sg1 Bh3 10.Sxa8 e6 11.Sb6 Se7 12.Sc4 Rf8 13.Sa3 Rf4 14.Sb1 Rc4

## [A6] Rustam Ubaidullaev, Problemesis 2005

1.e4 a5 2.Ke2 a4 3.Kd3 a3 4.Kc4 Ra4+ 5.Kb5 Rc4 $6 . \mathrm{b} 4 \mathrm{~d} 5$ 7.Bxa3 Bg4 8.Bb2 Be2 9.a4 Bd3 10.Be2 h5 11.Bg4 Rh6 12.Sf3 Ra6 13.Re1 Ra8 14.Re3 Sa6 15.Qh1 Bf1 16.Rea3 Rc6+ 17.d3 Rh6 18.Sfd2 Rh8

## [A7]

Kostas Prentos
StrateGems 2002

[A8]
Jasper van Atten
The Problemist 1987-88 $3^{\text {rd }}-5^{\mathrm{th}}$ Honorable Mention

[A9]
Thierry Le Gleuher
Phénix 1995


## [A7] Kostas Prentos, StrateGems 2002

1.c3 Sa6 2.Qa4 Sc5 3.Qxa7 h5 4.Qb8 Ra6 5.Qxc8 Rah6 6.Qa8 Qb8 7.Qa6 Qa7 8.Qd6 exd6 9.g4 Se7 10.Bg2 Sc6 11.Bd5 Be7 12.f3 0-0 13.Kf2 Ra8 14.Ke3 Sb8 15.Kd4 Rh8 16.Bxf7+ Kh7 17.Kd5 Bd8
[A8] Jasper van Atten, The Problemist 1987-1988, $3^{\text {rd }} \mathbf{- 5}^{\text {th }}$ Honourable Mention 1.e4 Sf6 2.Bc4 Sd5 3.d3 f6 4.Bf4 Kf7 5.Qh5+ Ke6 6.Se2 Qe8 7.0-0 Qg6 8.Kh1 Qg3 9.Qe8 Qe3 10.fxe3 Sc6 11.Rf3 Se5 12.Rh3 Kd6 13.Sg3 Sb4 14.Bf7 Kc6 15.c4 Sg4 16.Sc3 Sh6 17.Rg1 Sg8 18.Rh6 Sa6 19.h3 Sb8

## [A9] Thierry Le Gleuher, Phénix 1995

1.b4 b5 2.Bb2 Bb7 3.Bd4 Qc8 4.Bb6 axb6 5.c3 Ra3 6.Qc2 Rb3 7.Qg6 hxg6 8.a4 Rxh2 9.a5 Rxg2 10.Rh8 Rh2 11.axb6 Rh1 12.Ra8 Ra3 13.Bh3 Ra1

